

# Static, Be Gone!



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Contributing Editor

Static charge accumulates on the surface of PE, PP, or PET films as they run through a coating, lamination, or converting process. Static charge also accumulates on the surfaces of insulating rollers covered with polyurethane, silicone rubber, or EPDM (ethylene-propylene-diene) rubber. Dissipating roller charge is important because charged roller surfaces attract dust particles, cause sparks to the grounded roller shafts, and may pose shock risks to personnel that clean the roller surfaces after a long run.

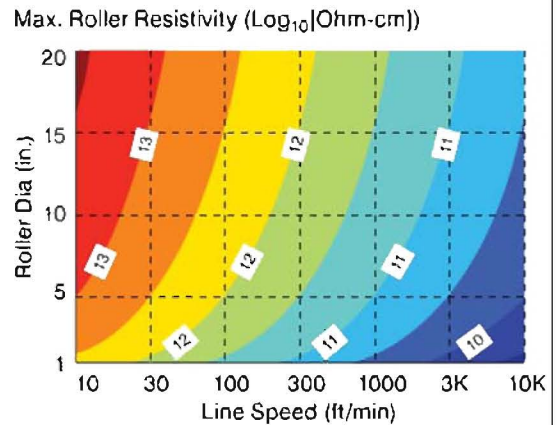
Using rollers covered with static dissipative or resistive materials will dissipate static effectively. What is the maximum roller resistivity for your application?

The volumetric resistivity ( $\rho_v$ ) of a material determines how fast static charge dissipates. **Figure 1(a)** shows a slab of thickness ( $d$ ) and surface area ( $A$ ) with static charge on the top surface. Static charge dissipates faster from materials with lower resistivity. From the circuit model shown in **Figure 1(b)**, the charge dissipates exponentially and the RC time constant of the circuit is given in **Equation 1**.

This is an important and an amazing result! The charge relaxation time ( $\tau$ ) does not depend on the thickness ( $d$ ) or the surface area ( $A$ ) of the material. The charge relaxation time depends only on the volumetric resistivity ( $\rho_v$ ) and relative permittivity ( $\epsilon_R$ ) of the material. The parameter ( $\epsilon_0$ ) is the permittivity of free space, which is a universal constant.

To determine the upper limit on roller resistivity, we need the roller charge to dissipate within one revolution.

**Figure 2.** To dissipate static within one roller revolution, the roller resistivity must not exceed the values shown below. For example, for a 5-in.-dia roller at a line speed of 100 fpm, the roller resistivity must not exceed  $1 \times 10^{+12}$  ohm-cm.



tion. Taking the dissipation time to be  $3\tau$  so that 95% of the charge will have dissipated results in **Equation 2**.

And solving for the maximum roller resistivity gives **Equation 3**.

The maximum roller resistivity as a function of roller diameter and line speed is shown in **Figure 2**.

For higher line speeds, the resistivity must be lower so that charge on the surface of the roller will dissipate more quickly.

For example, if the line speed increases from 300 fpm to 1,000 fpm, the maximum resistivity for a 5-in.-dia roller decreases from about  $3 \times 10^{+11}$  to  $1 \times 10^{+11}$  ohm-cm. Also, at a given line speed, larger diameter rollers turn more slowly so that the maximum resistivity is somewhat higher for larger rollers.

It is important to dissipate the static on rubber- or polymer-covered rollers to minimize contamination and prevent sparks. Using static dissipative materials is an excellent way to get rid of roller static. The key to achieving good performance is selecting a static dissipative material with a volumetric resistivity that permits the static to dissipate within one roller revolution.

Please contact me if you have any questions on this article. Also, please let me know if you would like me to cover a specific topic in a future Static Beat column. My contact information is below. PFFC

**Equation 1.**

$$\tau = RC = \rho_v \left( \frac{d}{A} \right) \epsilon_R \epsilon_0 \left( \frac{A}{d} \right) = \rho_v \epsilon_R \epsilon_0$$

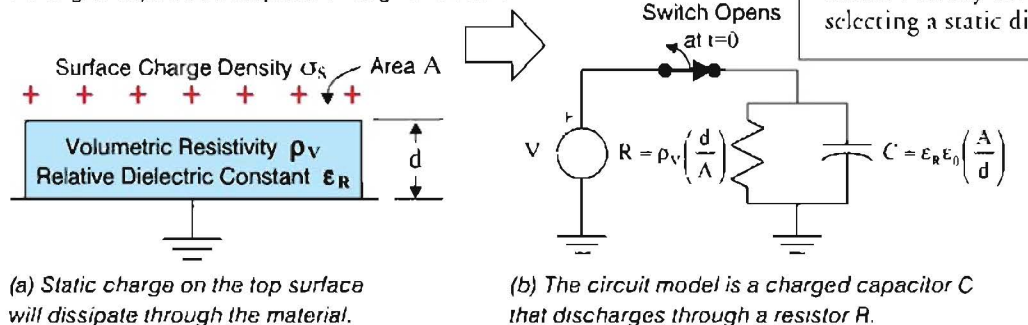
**Equation 2.**

$$\frac{\pi D(\text{in/rev})}{U(\text{ft/min})} \left( \frac{1 \text{ ft}}{12 \text{ in}} \right) \left( \frac{60 \text{ sec}}{\text{min}} \right) > 3 \rho_v \epsilon_R \epsilon_0$$

**Equation 3.**

$$\rho_v < \frac{\pi D(\text{in/rev})}{3 \epsilon_R \epsilon_0 U(\text{ft/min})} \left( \frac{1 \text{ ft}}{12 \text{ in}} \right) \left( \frac{60 \text{ sec}}{\text{min}} \right) \left( \frac{100 \text{ cm}}{\text{m}} \right)$$

**Figure 1.** Static charge on the surface of the slab dissipates just as a charged capacitor dissipates through a resistor.



(a) Static charge on the top surface will dissipate through the material.

(b) The circuit model is a charged capacitor  $C$  that discharges through a resistor  $R$ .